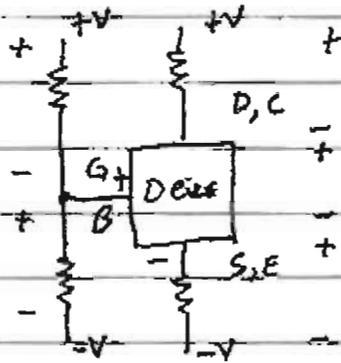
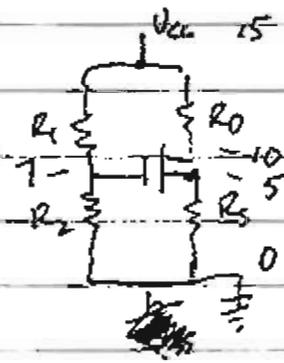


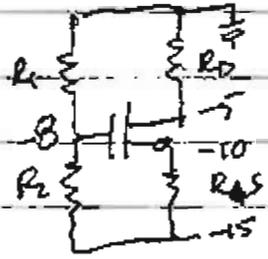
11/5/07 1/8



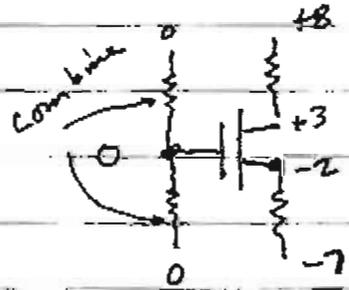
BJT, FET  
 n-channel or npr  
 'n-deck'  
 $V_{BE}, V_{GS}$



$V_G = 7$   
 $V_D = 10$  +15 supply  
 $V_S = 5$



$V_G = -8$   
 $V_D = -5$  -15 supply  
 $V_S = -10$

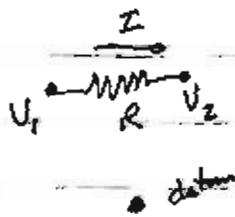


$V_G = 0$   
 $V_D$   
 $V_S = -2$

~~$V_D = R_D I_D$~~

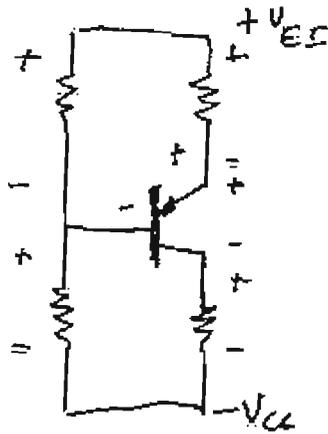
$V_{RD} = R_D I_D$

$V_{RS} = R_S I_D$



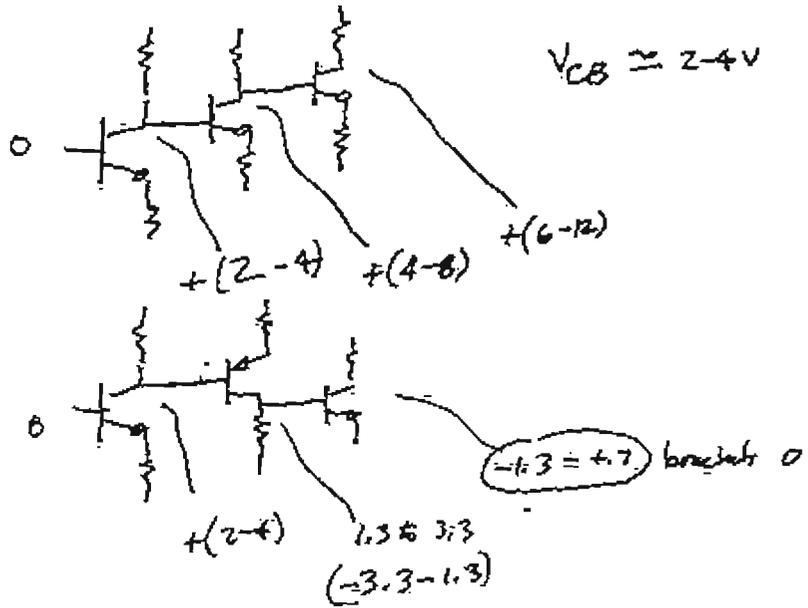
~~$V_1 = IR$   
 $V_2 = IR$~~

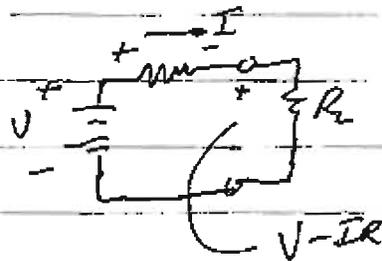
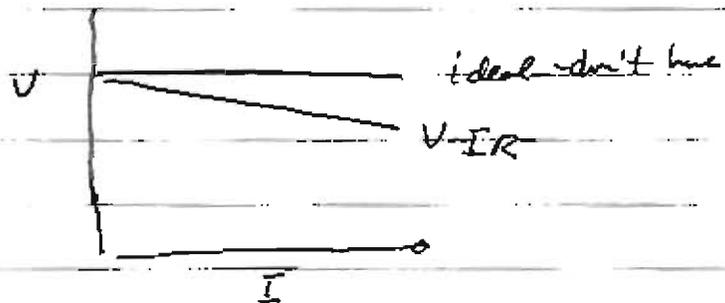
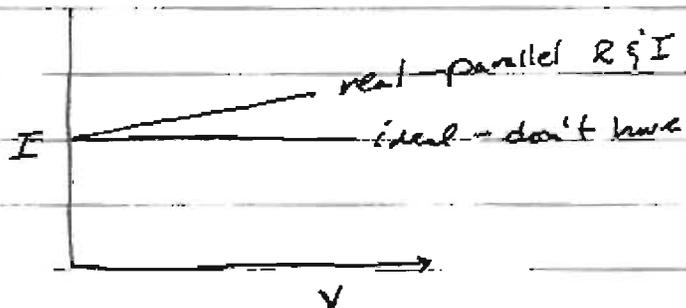
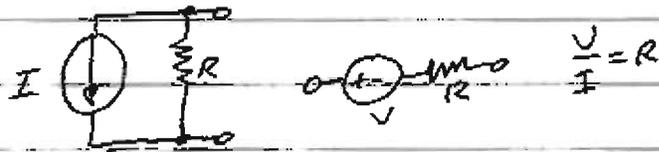
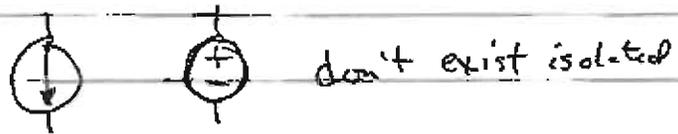
$V_1 - V_2 = IR$



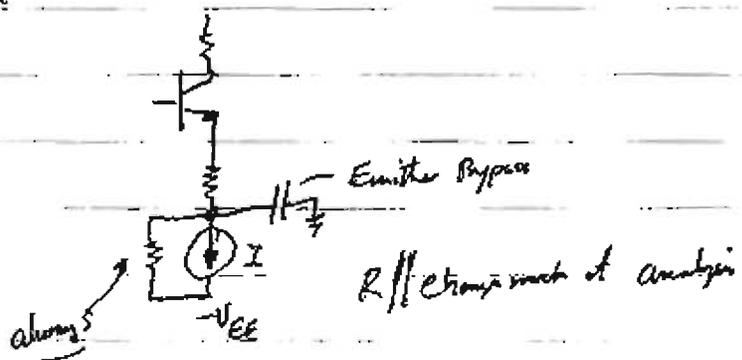
Direct Coupled

Caps #, velocity, speed

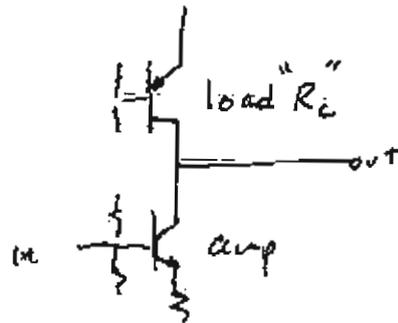




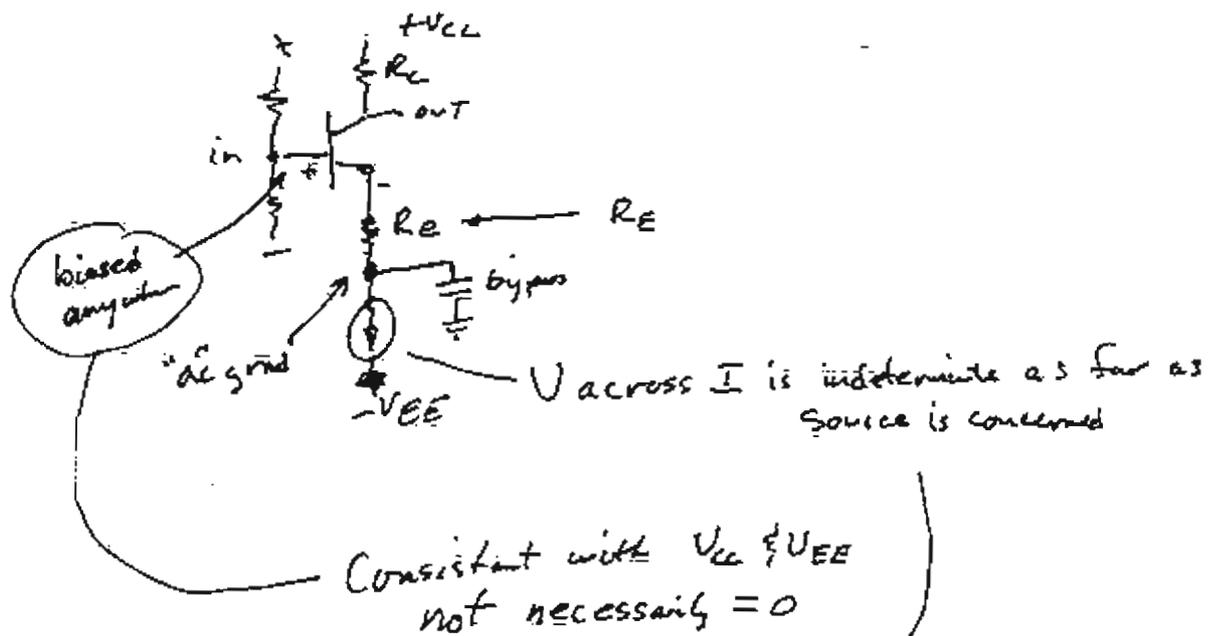
P471



$I_D$  or  $I_C$  set by external circuit some



Common-emitter



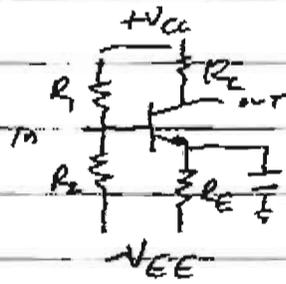
Suppose  $V_{EE} = 12$ ,  $V_B = 0$

$V_E = 0.7$  and  $I_E = I_C$

$V_{Re} = R_E I_C$

$V$  @ top of  $I$ -source =  $0 - V_{BE} = R_E I_C = V_i$

$V(I\text{-source}) = -(V_{EE} - V_i)$



$\beta_{DC} \gg$

$$V_B = 0$$

$$V_E = -0.7$$

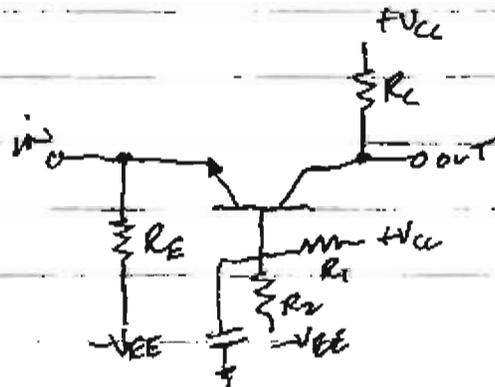
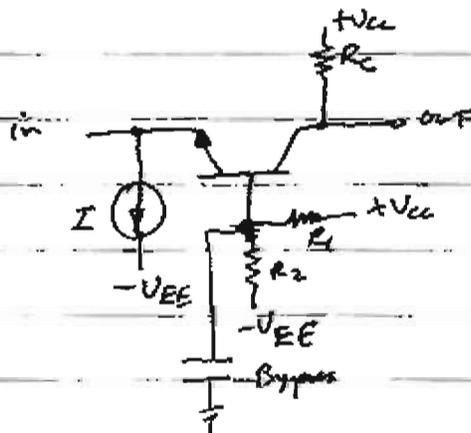
$$R_E = \frac{V_{EE} - 0.7}{I_E} \quad (I_E \approx I_C)$$

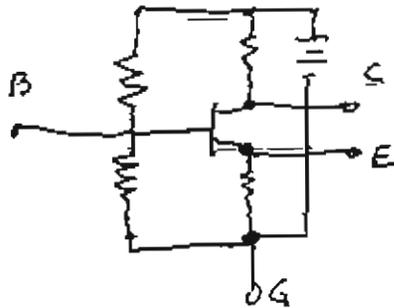
Suppose  $R_E$  is fixed

$$I_E = \frac{V_{EE} - 0.7}{R_E}$$

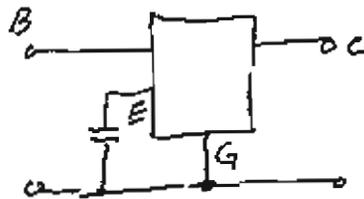
$$1 + \beta \approx \beta$$

Common-base

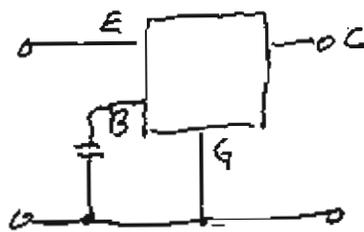




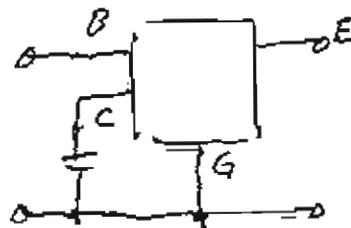
CE



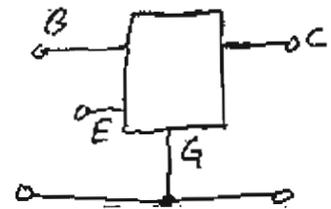
CB

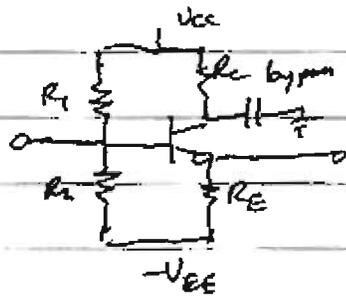
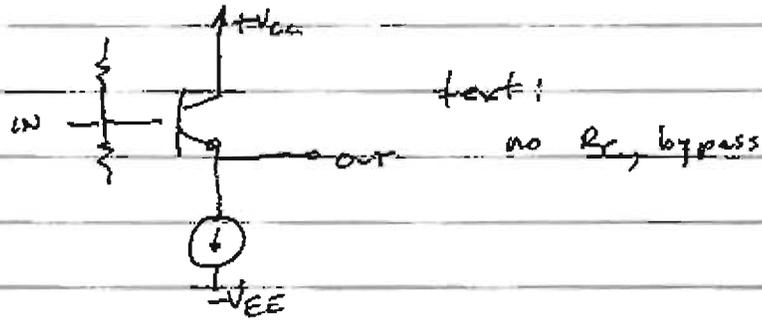


CC



Almost CE

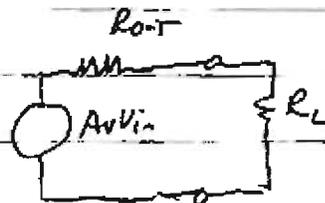




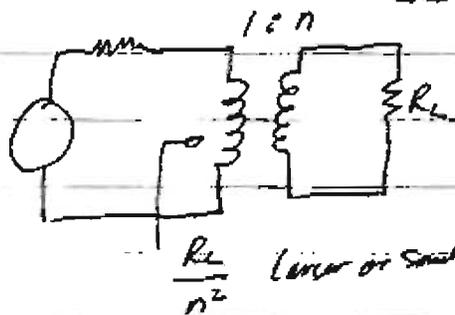
Why  $R_E$ ? Dissipation  
 Small transistors 100mW  
 $18V @ V_{CE} @ 10mA = 180mW \times$   
 split 18V into 9+9,  $V_C = 9$   
 $9V \times 10mA = 90mW$  in each  $\checkmark$   
 bypass req'd

Type	Input	Output	Purpose
CE	$V_B$	$V_C$	$A_V$
CB	$V_E$	$V_C$	$Z$ (transmission) $\neq$ impedance xform
CC	$V_B$	$V_E$	impedance x form
CC	$V_B$	$I_E$	$\psi$ (transmission)

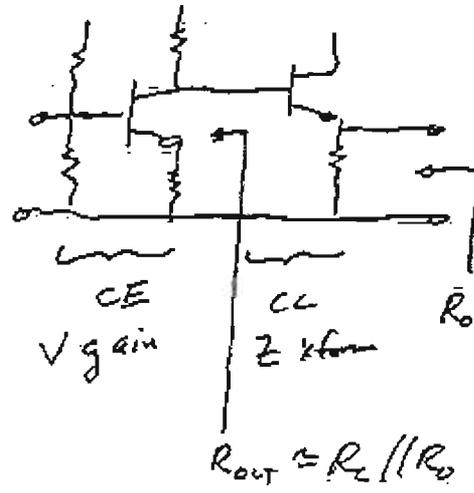
impedance transformer - suppose



$R_L \approx R_{out}$   
 $Z \neq 1$  signal loss  
 desire  $R_{out} \ll R_L$



$\frac{R_L}{n^2}$  lower or smaller than  $R_L$  depending on  $n$



"emitter follower"

$$R_{out} \approx \frac{R_E \parallel R_O}{1 + \beta} \ll R_E \parallel R_O$$

$$R_{out} \approx R_E \parallel R_O$$